

Momentum transport in RFX-mod

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Presented on behalf of the authors at the

CMSO general meeting – University of New Hampshire, 4-6/06-07

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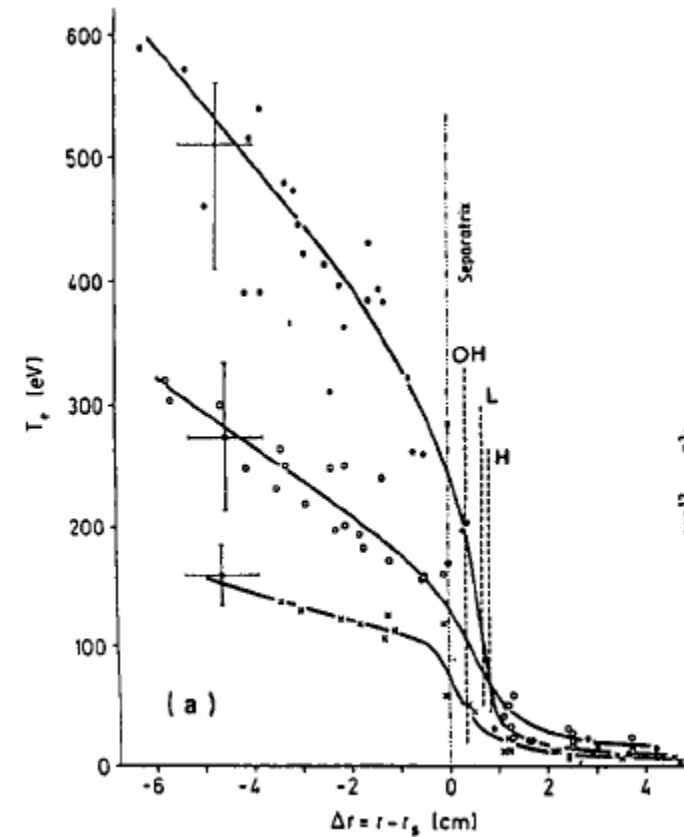
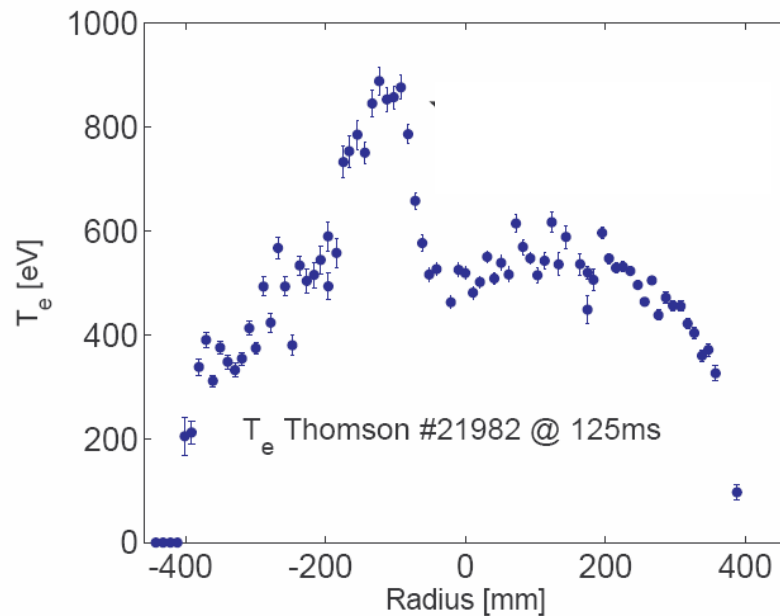


- **Experimental results in this talk have been taken from the following papers:**
 - *N. Vianello et al., PRL 94 135001 (2005)*
 - *N. Vianello et al., NF 45, 761, (2005)*
 - *N. Vianello et al., PPCF 48, S193 (2006)*
 - *V. Antoni et al., PPCF 47, B13 (2005)*
 - *N. Vianello et al., 2006 EPS conference, paper P. 5-085*



Edge region in fusion plasmas

- The edge region in fusion plasmas plays a crucial role for energy and particle confinement
 - H-mode pedestal in tokamaks
 - Edge gradients in the RFP





Role of turbulence

- Turbulence is responsible for anomalous transport.
- When turbulence is suppressed, regimes with enhanced confinement are obtained.
- *Example: magnetic turbulence in the RFP plasma core (OPCD)*



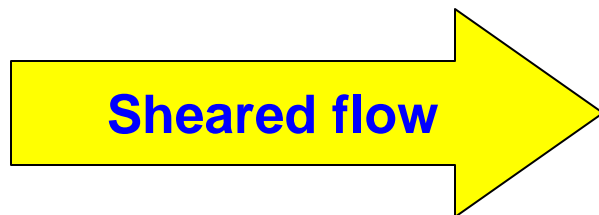
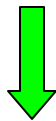
Magnetic turbulence and self-organization in the RFP

- Magnetic turbulence causes anomalous transport in the RFP plasma core, but at the same time drives the dynamo electric field, which sustains and heats the plasma.
- *Self-organization between two competing processes.*
- The goal: find the conditions where the plasma keeps the magnetic turbulence self-organized threshold as low as possible
- In the RFP:
 - *Naturally, via low-chaos helical states (Single Helicity)*
 - *Driving the dynamo field by external means (current drive)*

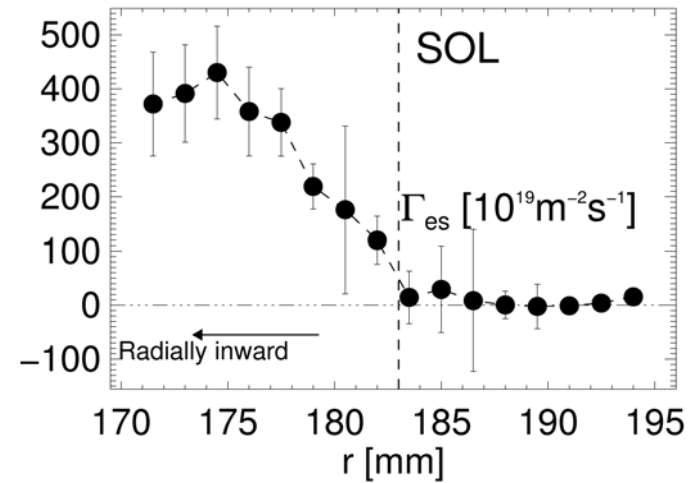
Electrostatic turbulence



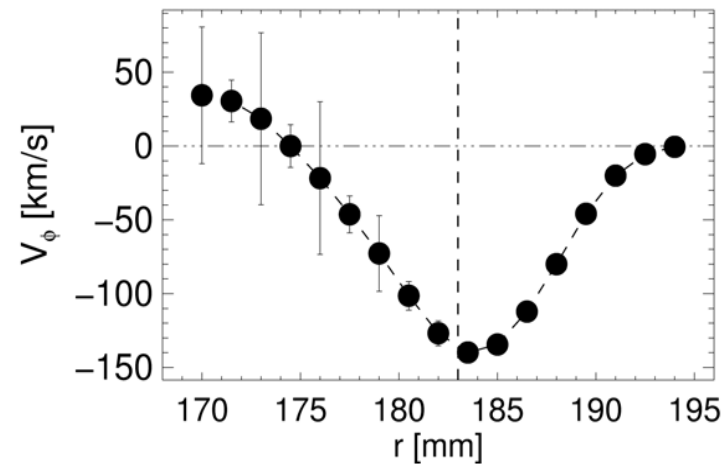
SELF-ORGANIZED LINK



Anomalous transport

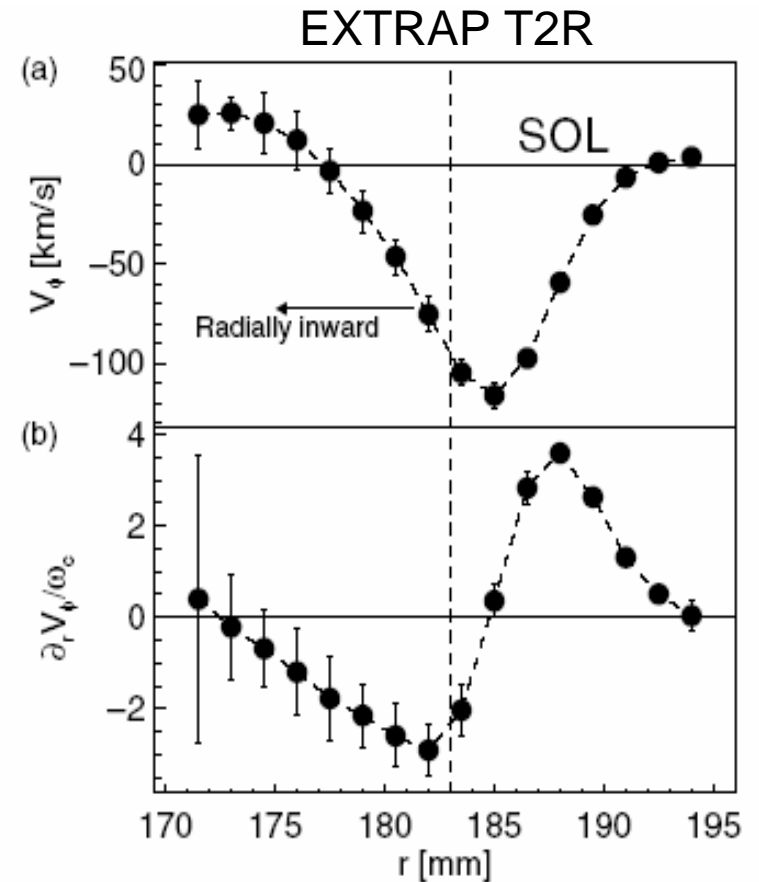


Turbulence suppression and improved transport



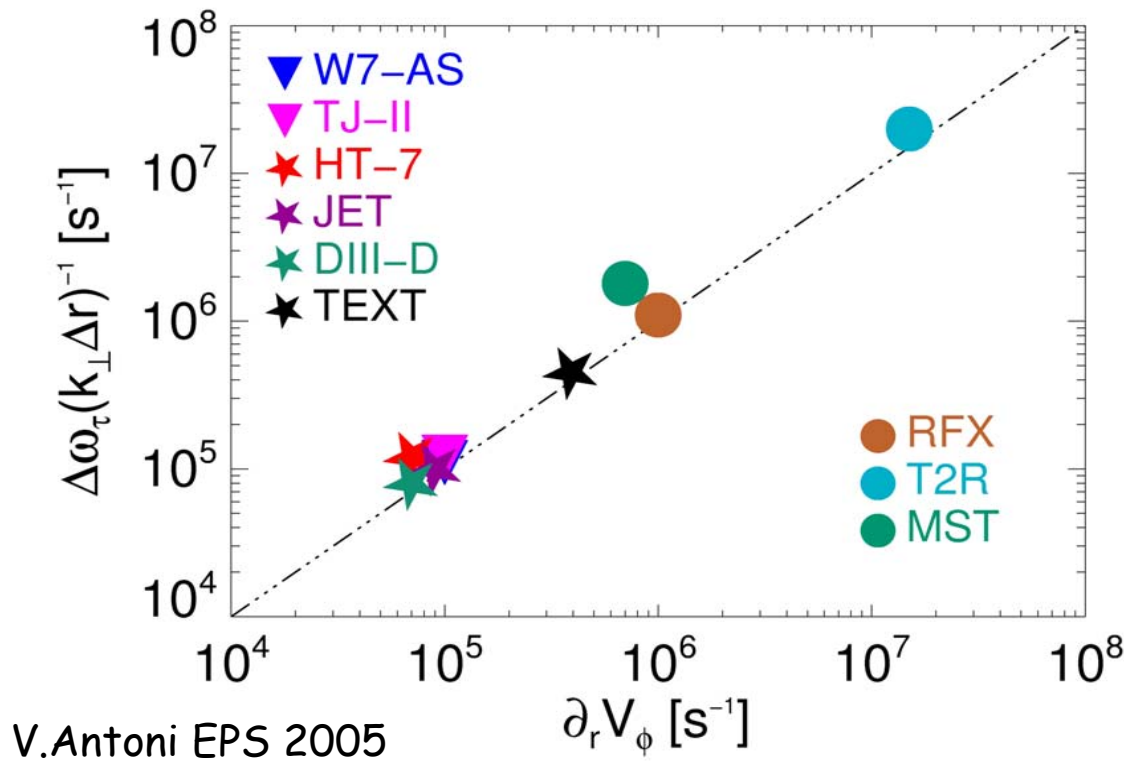
Self-organization for electrostatic turbulence

- Spontaneous self-organization by which turbulent energy goes into sheared flow energy
- Turbulence self-organizes to drive stabilizing sheared flows
- Coupling between small scales of turbulence and large scales of $E \times B$ flow



Self-organization for electrostatic turbulence: universal process

- The spontaneous shear is marginal according to turbulence decorrelation criteria (BDT), which says that turbulence can be radially decorrelated if the shearing frequency ω_s is larger than the ambient turbulent spectrum width $\Delta\omega_t$



$$\Delta r_t \frac{\partial V_\phi}{\partial r} \geq \frac{\Delta \omega_t}{k_\perp}$$



Momentum conservation equation

$$mn\left(\frac{\partial}{\partial t} + \mathbf{V} \cdot \nabla\right)\mathbf{V} = -\nabla p + \mu\left[\nabla^2\mathbf{V} + \frac{1}{3}\nabla(\nabla \cdot \mathbf{V})\right] + \mathbf{J} \times \mathbf{B} + \mathbf{F}^{\text{nf}}$$

- For a constant density incompressible plasma

$$\left(\frac{\partial}{\partial t} + \mathbf{V} \cdot \nabla\right)\mathbf{V} = -\nabla p + \mathbf{J} \times \mathbf{B} + \nu\nabla^2\mathbf{V}$$

$$\frac{\mathbf{B}}{\sqrt{\rho\mu_0}} \rightarrow \mathbf{B} \quad \frac{\mathbf{J}}{\sqrt{\rho/\mu_0}} \rightarrow \mathbf{J} \quad \frac{p}{\rho} \rightarrow p \quad \mathbf{J} = \nabla \times \mathbf{B}$$



Momentum conservation equation - 2

$$\mathbf{V} = \bar{\mathbf{V}} + \tilde{\mathbf{v}} \quad \mathbf{B} = \bar{\mathbf{B}} + \tilde{\mathbf{b}}$$

- Ensemble averaging:

$$\frac{\partial \bar{V}_i}{\partial t} + \partial_r \left[\langle \tilde{v}_r \tilde{v}_i \rangle - \langle \tilde{b}_r \tilde{b}_i \rangle \right] + \partial_r \left[\bar{V}_r \bar{V}_i - \bar{B}_r \bar{B}_i \right] =$$
$$\partial_i \left[\bar{p} + \frac{\bar{B}^2}{2} + \frac{\langle \tilde{\mathbf{b}}^2 \rangle}{2} \right] + \nu \nabla^2 \bar{V}_i$$

- Assumptions: axisymmetry, no toroidal effects, no curvature, i.e.:

$$\frac{\partial}{\partial \phi} = \frac{\partial}{\partial \theta} = 0 \quad \frac{1}{r} \ll \frac{\partial}{\partial r}$$

$$\frac{\partial \bar{V}_\phi}{\partial t} + \frac{\partial}{\partial r} \left[\langle \tilde{v}_r \tilde{v}_\phi \rangle - \langle \tilde{b}_r \tilde{b}_\phi \rangle \right] = \frac{\partial}{\partial r} (\bar{B}_r \bar{B}_\phi - \bar{V}_r \bar{V}_\phi) + \nu \nabla^2 \bar{V}_\phi$$

Goal: measure Reynolds stress

Maxwell stress

$$\frac{\partial \bar{V}_\phi}{\partial t} + \frac{\partial}{\partial r} \left[\langle \tilde{v}_r \tilde{v}_\phi \rangle - \langle \tilde{b}_r \tilde{b}_\phi \rangle \right] = \frac{\partial}{\partial r} (\bar{B}_r \bar{B}_\phi - \bar{V}_r \bar{V}_\phi) + \nu \nabla^2 \bar{V}_\phi$$

Electrostatic Reynolds stress

- Velocity fluctuations have been approximated by $E \times B$ drift velocity fluctuation
 - ($E \times B$ toroidal in a RFP)
- Works on parallel flow on-going

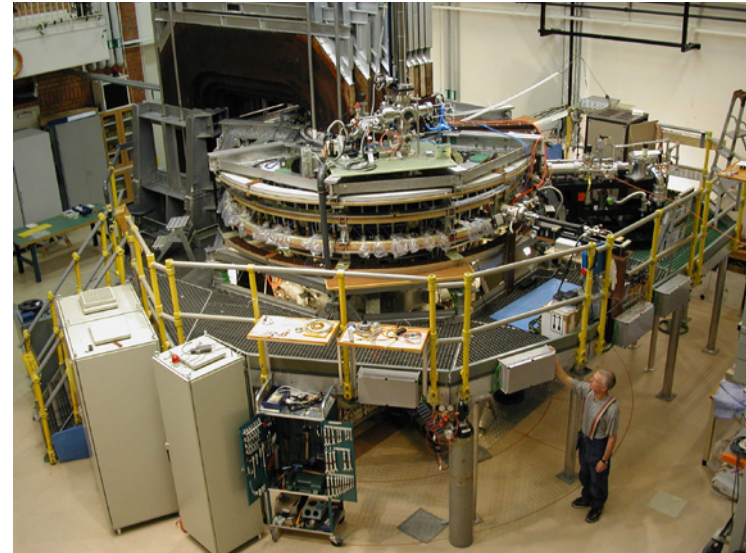
Devices used for this study



CONSORZIO RFX
Ricerca Formazione Innovazione

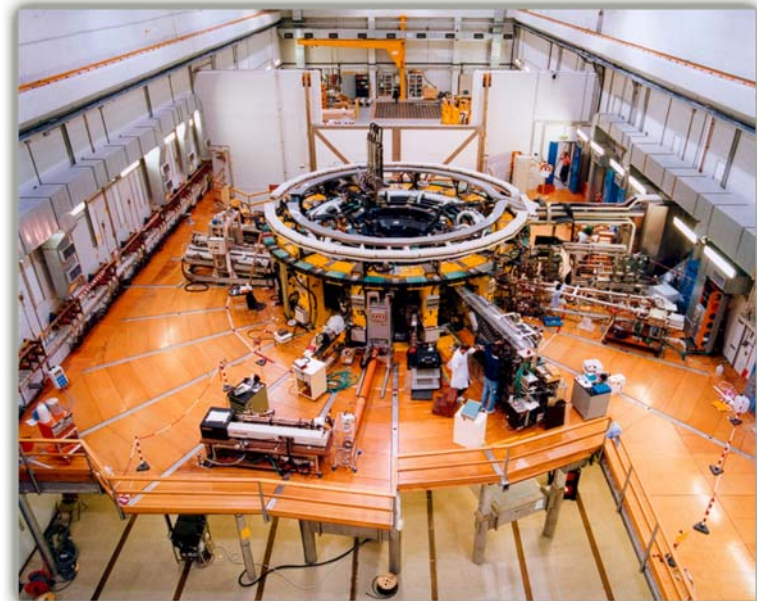
- **EXTRAP T2R** (Stockholm, Sweden)

- $R = 1.24 \text{ m}$, $a = 0.183 \text{ m}$
- $I_p \sim 60 \text{ kA}$, $n_e \sim 1 \times 10^{19} \text{ m}^{-3}$



- **RFX-mod** (Padova, Italy)

- $R = 2.0 \text{ m}$, $a = 0.457 \text{ m}$
- $I_p \sim 1.2 \text{ MA}$, $n_e \sim 1\text{-}8 \times 10^{19} \text{ m}^{-3}$



Diagnostics for Maxwell and Reynolds stresses

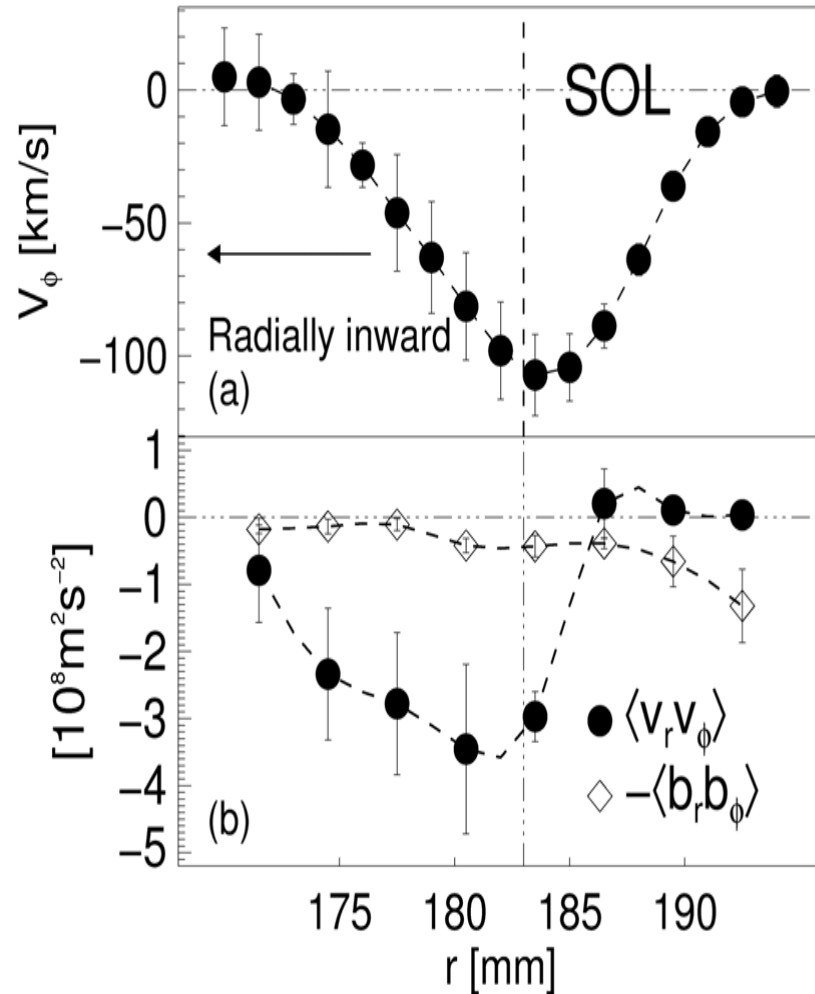
- *Different probes used in the two experiments, but based on the same principle.*

In RFX-mod:

- **Two 2D arrays of electrostatic pins:**
 - 5 (toroidal) x 8 (radial)
 - $\Delta r=6\text{mm}$ - $\Delta\varphi=6\text{mm}$ - pin $\Phi=3\text{ mm}$
- **Two arrays of 7 (B_r, B_θ, B_φ) magnetic probes:**
 - size: 7mm X 6mm X 8mm
 - $\Delta r=6\text{mm}$
 - **5 MHz** sampling rate.



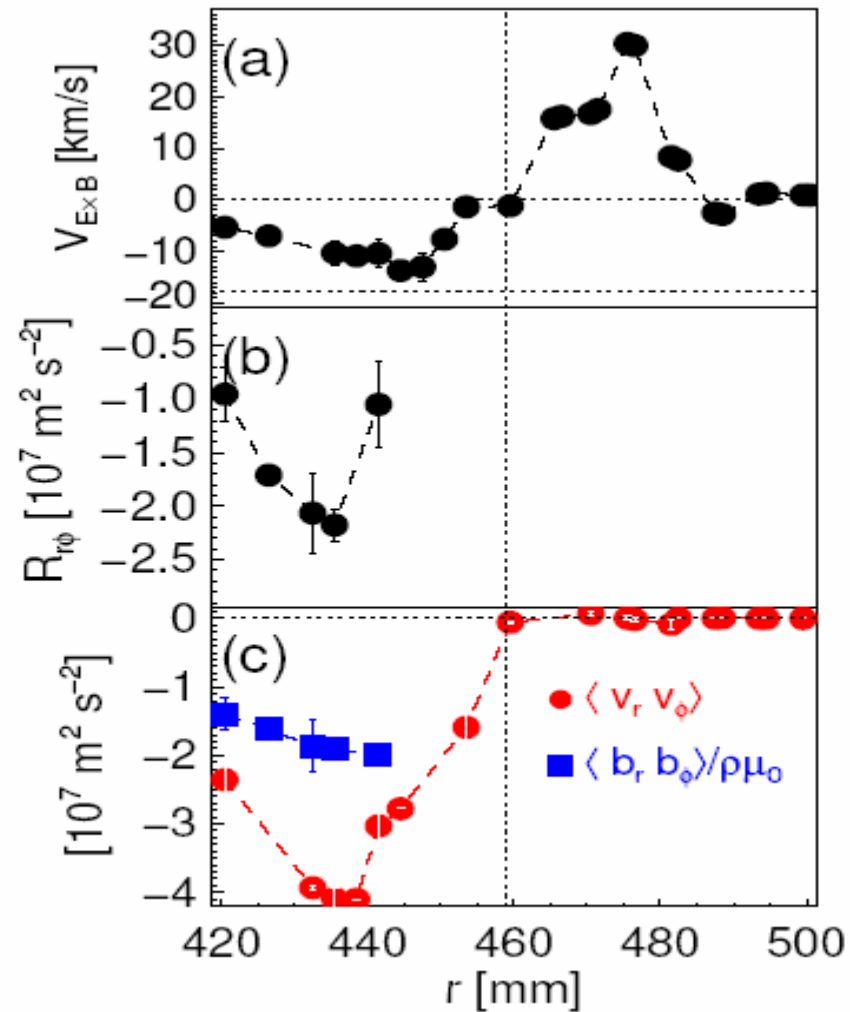
Reynolds and Maxwell stress in Extrap T2R



- **Electrostatic Reynolds** stress is larger than magnetic Maxwell stress
- **The gradient:**
 - is due to the electrostatic component
 - Is large in the region where the velocity is strongly sheared

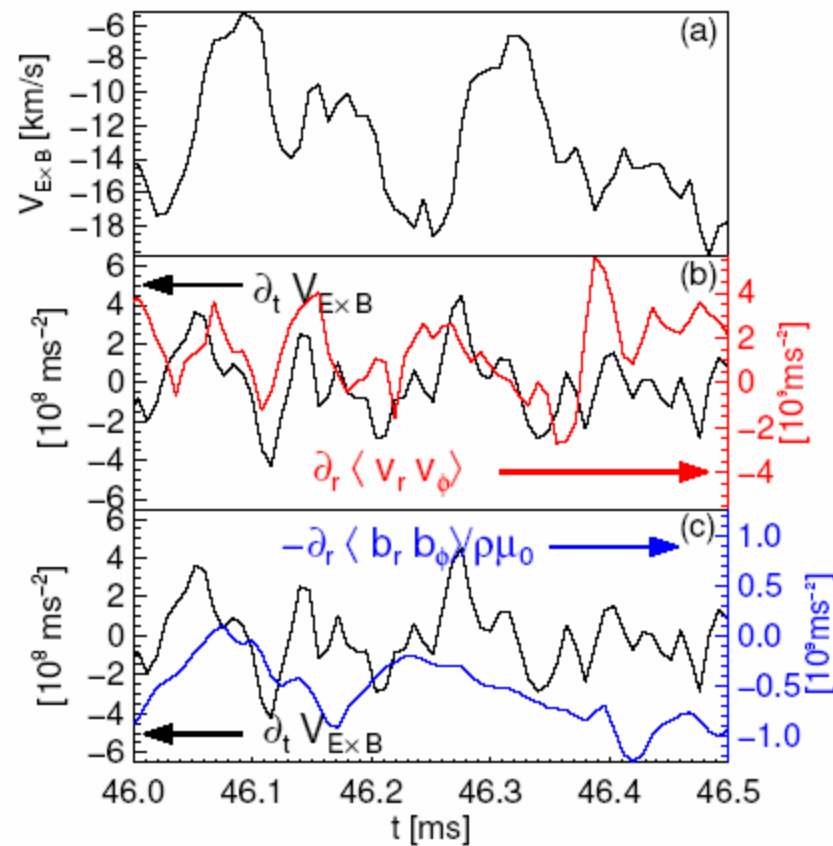
Reynolds and Maxwell stress in RFX-mod

- Results are consistent with those obtained in EXTRAP T2R

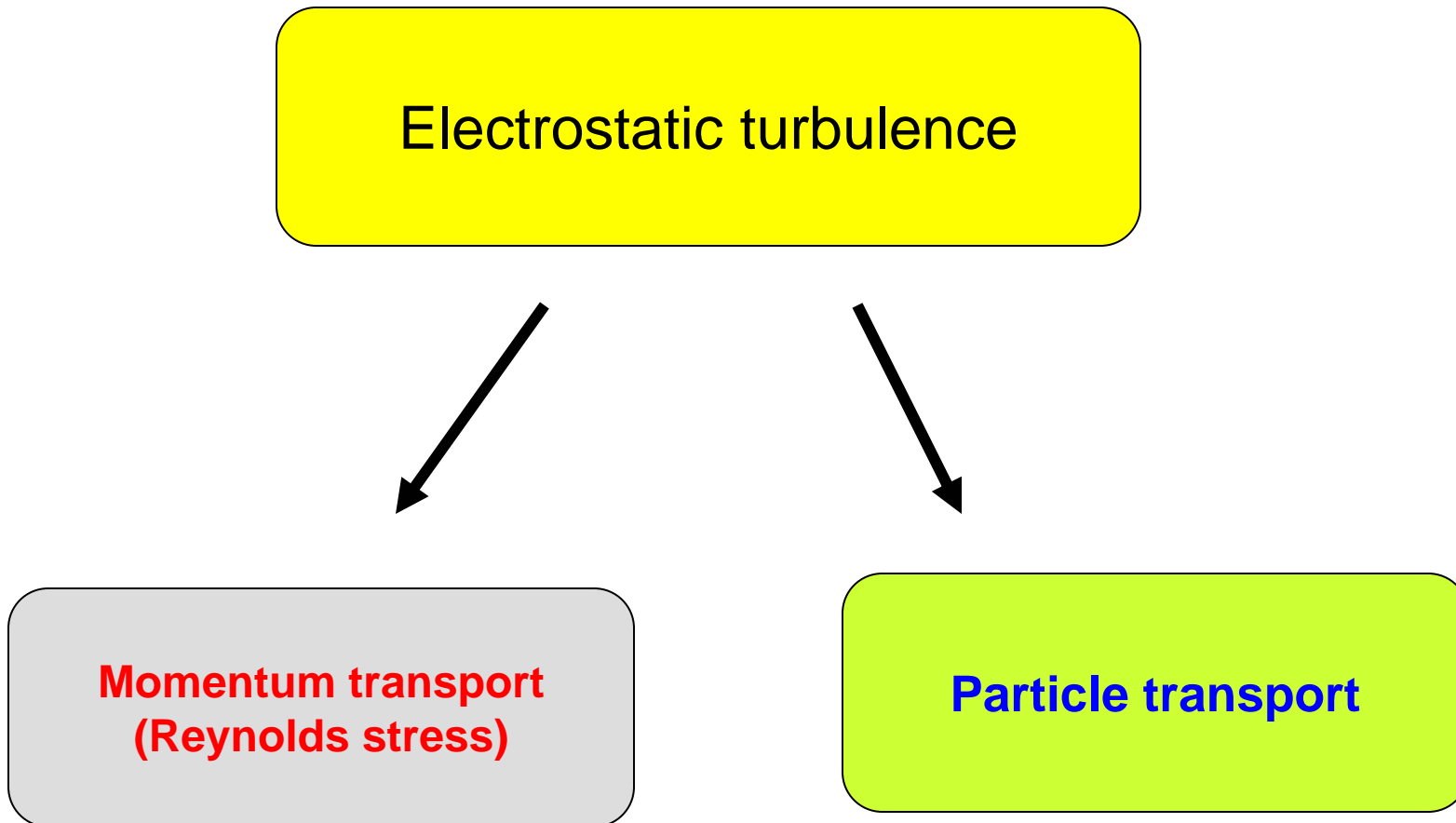


Time resolved measurements in RFX-mod

- Correlation between plasma acceleration and ERS gradient evident



Electrostatic turbulence plays a double role



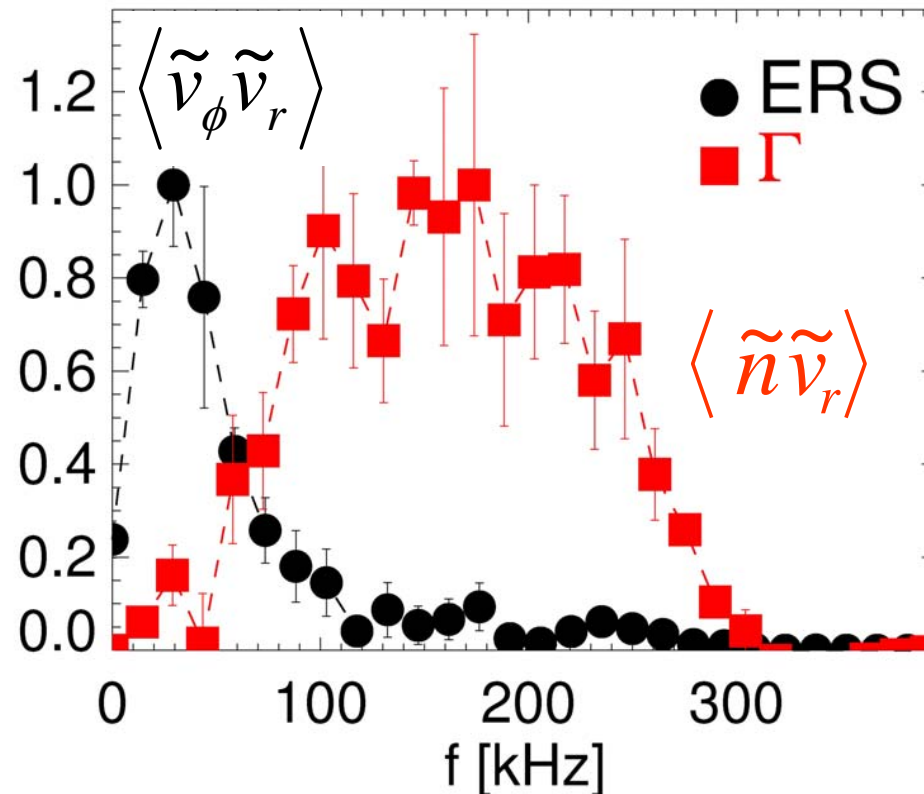
Different origin for the two mechanisms ?

The Fourier spectra of

- *electrostatic Reynolds stress*
- *particle flux*

peak at different frequencies

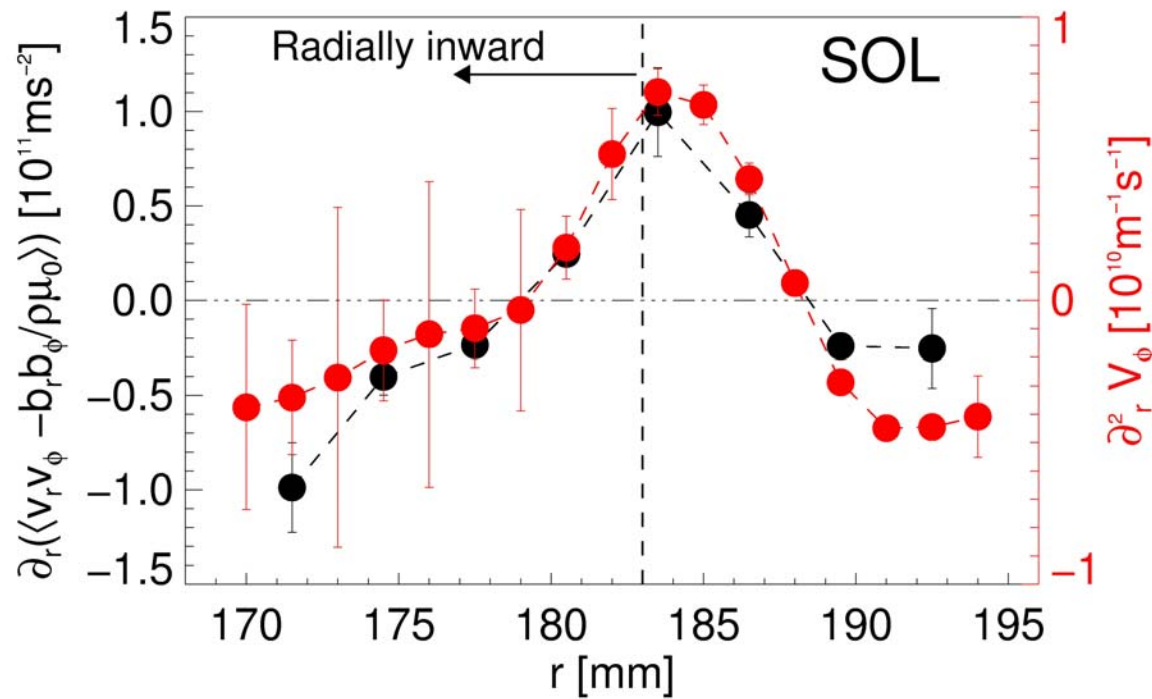
EXTRAP T2R



Momentum equation in stationary condition

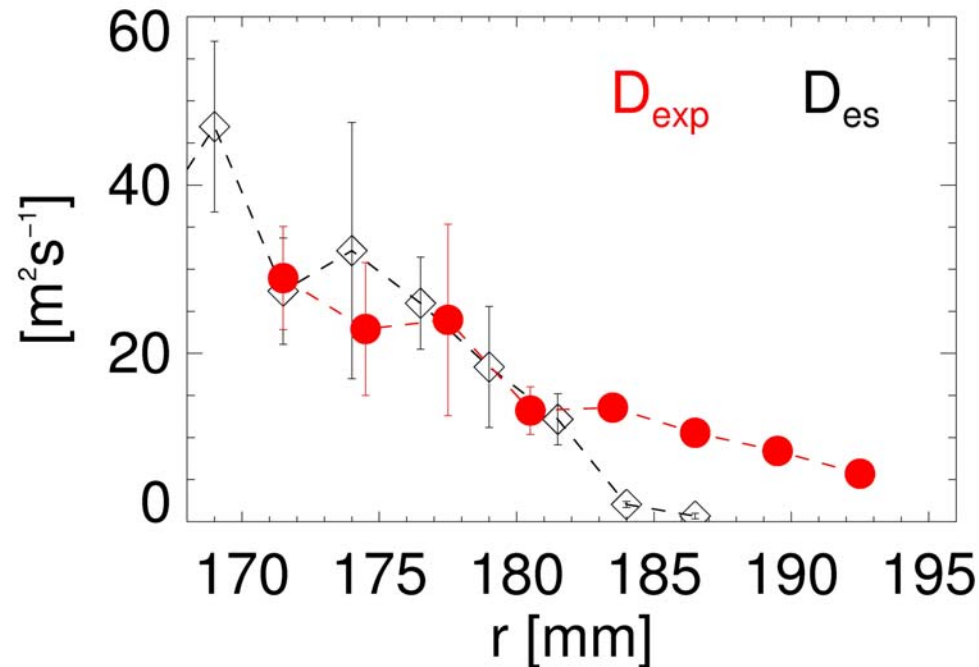
$$\partial_t = 0 \quad \bar{V}_r \approx 0 \quad \bar{B}_r \approx 0$$

$$\frac{\partial}{\partial r} [\langle \tilde{v}_r \tilde{v}_\phi \rangle - \langle \tilde{b}_r \tilde{b}_\phi \rangle] = \nu \frac{\partial^2 \bar{V}_\phi}{\partial r^2}$$



It is possible to evaluate the kinematic viscosity

The viscosity is anomalous

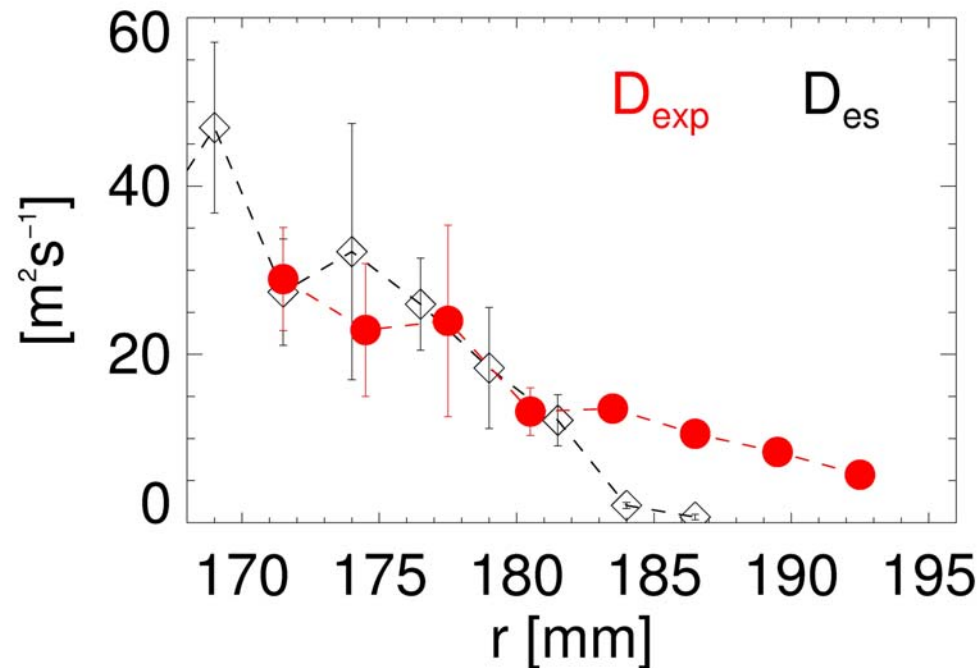


Experimental viscosity is more than 1 order of magnitude larger than classical

$$\nu \approx D_{exp} \approx D_{es} = \frac{\Gamma_{es}}{\nabla \cdot n}$$

Same order of magnitude of the effective diffusion caused by electrostatic particle flux

The viscosity is anomalous



Momentum transport is anomalous and viscosity consistent with anomalous particle transport

Electrostatic fluctuations:

flow driving through ERS
flow damping through anomalous viscosity

Conclusions

- Reynolds stress measured in RFP.
- Reynolds stress is mainly driven by electrostatic turbulence although ERS and MS have the same sign.
- Electrostatic turbulence is responsible for flow driving and flow damping
- Electrostatic part of RS is the main driving term of the flow shear
- Viscosity is anomalous and linked to turbulence

- More work on-going in RFX-mod

- For more info: *vianello@igi.cnr.it*